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Moneyball revisited: Some counter-evidence

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### Abstract

This study revisited the Moneyball hypothesis to address the potential bias that should have been addressed in previous studies. Basic economic theory suggests an exact corre- spondence between pay and productivity when markets are competitive and information- rich, while it is difficult for researchers to provide empirical evidence on the correspondence between pay and productivity in the real labour market. By measuring the productivity of professional baseball players more closely, we found that after the publication of Moneyball, slugging average, which is widely accepted as one of the most common measures of batting skill, had the dominant effect on winning relative to the factors that Moneyball considered important. After Moneyball was published, slugging average was undervalued in determin- ing payrolls. The evidence against Moneyball suggests that payrolls may have become less efficient than they were before Moneyball.

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### **1** Introduction

We revisited the *Moneyball* hypothesis and presented evidence against it. *Moneyball* is a hypothesis that accounts for the discrepancy between the payroll for professional athletes and their contribution to winning in sports. For example, Hakes and Sauer (2006), studying the labor maket for baseball players, argue that the essence of the Moneyball hypothesis is that the ability to get on base was undervalued in the baseball labor market. The hypothesis is widely known because of Michael Lewis, who is the author of Moneyball: The Art of Winning an Unfair Game. The book describes Billy Beane, the general manager of Oakland Athletics. As described in Lewis (2003), the general manager acquired undervalued players and led the team to victory with a small budget. Before the publication of *Moneyball*, it was believed that the contributors to winning were the powerful sluggers who smashed home runs or long hits. Lewis (2003) claimed that this was a myth. Lewis (2003) and Hakes and Sauer (2006) suggested that a batter's skill in avoiding being out contributed more to winning than smashing a long hit. The argument by Billy Beane was supported by Oakland Athletics, and it adopted the new hypothesis and shifted its strategy for winning. Athletics reorganized the team by acquiring those who were, on average, likely to reach base. As a result, they won the American League West with the lowest player payroll in the league. The achievement of Athletics defied a common fundamental belief and had a major influence on strategy in major league baseball (MLB). Thus, Moneyball is now regarded as a standard theory in professional labor markets.<sup>1</sup>

A growing number of studies of professional labour markets have revealed the discrepancy between workers' pay and performance.<sup>2</sup> For example, Brown et al. (2017) and Kahn (2000) used data on professional athletes to test whether monopsony explains the distorted relationship between wages and productivity. We combined payroll data for MLB professionals with detailed data on each player's performance to re-evaluate the hypothesis.

To verify the story in *Moneyball*, we re-examined the results, as shown in Hakes and Sauer (2006), to address the potential bias that should have been addressed in previous studies.<sup>3</sup> Previous studies on *Moneyball* evaluated the hypothesis based on a naïve comparison between on-base percentage (OBP) and slugging percentage (SLG). By regressing wages on OBP and SLG and comparing the coefficients, the literature concluded that OBP was more important in run production than SLG. However, a simple comparison requires the assumption that OBP and SLG are drawn from a similar distribution. We choose to use standardized variables in unites of standard deviations for comparability. There are two reasons. First, we think that absolute changes in the

<sup>&</sup>lt;sup>1</sup>Based on the *Moneyball* hypothesis, Weimer and Daniel (2017) examined the labor market in German professional soccer, and Pinheiro and Szymanski (2022) studied the market for racehorses.

<sup>&</sup>lt;sup>2</sup>In sports economics, the literature helps to test efficiency and rationality in the economic sense, because performance (or productivity) and rewards are measurable. See for example Berri (2018), Berri et al. (2007), Berri et al. (2011) and Harris and Berri (2015).

<sup>&</sup>lt;sup>3</sup>Duquette et al. (2019) also investigate the validity of the analytics in Moneyball and provide the supportive evidence for the original story in *Moneyball*.

productivity measures matter for winning and salaries. Second, a simple comparison requires the assumption that OBP and SLG are drawn from a similar distribution. Howerver, Deli (2013) showed that this assumption is false.<sup>4</sup> Deli (2013) suggested that naïve comparison of the coefficients introduces a bias in the evaluation of the *Moneyball* hypothesis. Third, productivity measures can sometimes be zero or even negative. For example, all the measures we use, such as OBP, SLG, Eye, Power, ERA, can potentially be zero. Another example is Wins Above Replacement (WAR), which measures a player's value in all facets of the game by deciphering how many more wins he's worth than a replacement-level player at his position. The measure can be negative when a player's productivity is low. Because not a few variables take zero or negative values and we cannot take the logarithm of these values, we use standardized measures.

We provide evidence against the standard theory. We show that after the publication of *Moneyball*, slugging average, which is widely accepted as one of the most common measures of batting skill, dominates the effect on winning relative to OBP, which *Moneyball* considered most important. We also found that in MLB, slugging average is probably undervalued by *Moneyball*, even though our first step showed that it is the factor that contributes most to winning. The evidence we found suggests that payrolls do not efficiently reflect the productivity of individual players. In other words, the skills that contribute most to winning are less predictive of payroll than they were before *Moneyball* was published. This is the striking evidence against *Moneyball*: the payroll may have become less *efficient* than it was before *Moneyball*.<sup>5</sup>

The structure of our paper is as follows: Section 2 explains our approach to verify the *Moneyball* hypothesis and describes our data. Section 3 identifies what contributes to winning and Section 4 shows what explains annual salary. Section 5 concludes the paper.

### 2 Estimation Strategy

#### 2.1 What contributes to winning?

This study estimates two equations to test whether the labour market pays based on productivity, using panel data with performance measures and MLB payrolls from 1989 to 2018.<sup>6</sup> First, we

<sup>&</sup>lt;sup>4</sup>Deli (2013) showed that even after the publication of *Moneyball*, SLG was still more important than OBP as a factor contributing to winning. Pinheiro and Szymanski (2022) assess the role of run value on the compensation, relying on a structural approach.

<sup>&</sup>lt;sup>5</sup>Our conclusion is consistent with Berri (2018) and Holmes et al. (2018) in the sense that both argue that the *Moneyball* hypothesis is wrong. However, the story is different; Berri (2018) and Holmes et al. (2018) provide evidence that the baseball labour market is efficient and has not changed both before and after the publication of Lewis (2003). However, the approach in Berri (2018) and Holmes et al. (2018) is different from that of this study. To retest the *Moneyball* hypothesis, we did not compare partial regression coefficients. Rather, we standardised the variables in the estimating equations and obtained parameters. Section 2 explains why.

<sup>&</sup>lt;sup>6</sup>The information on performance, position and salary comes from the Larman database (http://www.seanlahman.com/ before 2016) and spotrac (https://www.spotrac.com/ after 2016). The original salary data was

followed Hakes and Sauer (2006) in examining what factors contribute to winning, using data on the winning records of each team.<sup>7</sup> Second, we re-examined the indices that explain payroll, based on data relating each player's performance indices to their payroll level.<sup>8</sup> More specifically, the first analysis regressed winning percentage on team performance indices to identify the index that contributed most to winning. Our focus was on whether the "new" measures to capture players' batting skills, such as on-base percentage (OBP) as proposed by "*Moneyball*", were superior to slugging percentage (SLG). By superior, we mean that the new measures would have more predictive power for team wins compared to the predictive power of the traditional measures. Based on the results of the first estimation, we measured the impact of batting skill indicators on payroll and examined whether factors that contribute to winning, which may reflect productivity, explain annual salaries.

To retest the *Moneyball* hypothesis, we standardised the variables in the estimating equations and obtained parameters. While studies such as Hakes and Sauer (2006) compared partial regression coefficients, we used standardised regression coefficients. Partial regression coefficients indicate the effect of a one-unit change in explanatory variables on an outcome, holding all other explanatory variables constant. Without standardising the variables in the estimating equation, the variances fluctuate and we could not interpret the size of the partial regression coefficients. On the other hand, we could interpret the sizes of the standardised partial regression coefficients as the contributions of the explanatory variables to the outcome because the variances of the variables were normalised to one.

We have estimated the following equation:

$$WP_{j,t} = c + \alpha_1 \times OBP_{j,t} + \alpha_2 \times SLG_{j,t} + \mathbf{X}\beta + \epsilon_{j,t}, \tag{1}$$

where  $WP_{j,t}$  and X are denoted as the winning percentage of team j at time t and a vector of control variables including earned run average (ERA) and the cross term between OBP and SLG, respectively.<sup>9</sup> We have performed pooling estimation in both equation (1) in this subsection and equation (2) in the next subsection. This is because we assume that salary and probability of winning are fully explained by the variables we use. Even if some variables were omitted from the model, the fixed effects would still hide most of the variation in the regressors (Hakes and Sauer, 2006). We benefited from pooling estimation in identifying which factor determines winning percentage and payroll. Here we focused on the size of  $\alpha_1$  and  $\alpha_2$  in the pooled estimation. We compared the estimated  $\alpha$ s using standardised independent and dependent variables.

provided by Doug Pappas. The data we have used is exactly the same as that used by Hakes and Sauer (2006). All salaries have been converted into real terms using the Consumer Price Index.

<sup>&</sup>lt;sup>7</sup>The basic statistics of the data are shown in panel (A) of Table I.

<sup>&</sup>lt;sup>8</sup>Panel (B) in Table I shows the descriptive statistics.

<sup>&</sup>lt;sup>9</sup>ERA represents average earned runs per game; this is an index used to measure overall defensive skills (Hakes and Sauer, 2006).

Table	I:	Descri	ptive	statistics	and	correlation	matrix	of	batting	indi	cators

	· •			<u> </u>		
	OBP	SLG	Eye	Power	ERA	WP
Mean	0.329	0.411	0.094	0.150	4.236	0.500
Median	0.328	0.409	0.093	0.150	4.200	0.500
Maximum	0.374	0.491	0.131	0.206	6.380	0.716
Minimum	0.292	0.327	0.068	0.088	2.940	0.265
Std. Dev.	0.015	0.029	0.011	0.021	0.555	0.069
Observations	874	874	874	874	874	874

Panel (A): descriptive statistics in MLB: team averages in each regular season

OBP: on-base percentage is defined as the fraction of plate appearances in which the player reached base successfully through either a hit or a walk.

SLG: slugging percentage is total bases divided by at-bats, so that doubles count twice as much as singles, and home runs twice as much as doubles.

Eye: eye is calculated by dividing the sum of bases-on-balls and hit-by-a-pitch by plate appearances.

Power: power is calculated by subtracting batting average from SLG.

ERA: earned run average represents average earned runs per game.

WP: winning percentage.

Panel (B): descriptive statistics of batters in MLB

		( )	. r			
	OBP	SLG	Eye	Power	Salary (USD)	Plate Appearance
Mean	0.340	0.422	0.102	0.155	3,313,839	447
Median	0.338	0.417	0.097	0.149	1,350,000	458
Std. Dev.	0.041	0.079	0.037	0.062	4,529,835	175.172
Observations	8,349	8,349	8,349	8,349	8,351	8,349

Panel (C): correlation matrix of batting indicators								
	OBP	SLG	Eye	Power				
OBP	1.000							
	—							
SLG	$0.743^{*}$	1.000						
	(0.000)	—						
Eye	$0.698^{*}$	$0.397^{*}$	1.000					
	(0.000)	(0.000)	—					
Power	$0.501^{*}$	$0.917^{*}$	$0.401^{*}$	1.000				
	(0.000)	(0.000)	(0.000)	_				

Notes: Standard error is indicated in parentheses. Significance at the 1% level is indicated by \*.

### 2.2 What explains annual salary?

The next step was to examine whether there was a structural shift in the determinants of annual salaries in MLB. Hakes and Sauer (2006), Hakes and Sauer (2007), and Baumer (2014) pointed out that compared to the skill of hitting the ball, the skill of avoiding being thrown out had more

predictive power for annual salary after 2004, when the *Moneyball* hypothesis was introduced by Lewis (2003), than it did before 2004. However, the findings in these studies were based on a comparison of partial regression coefficients rather than standardised partial regression coefficients. Our paper used standardised partial regression coefficients to re-examine whether there was a structural shift in the MLB labour data after the publication of *Moneyball*.

Specifically, we regressed players' annual salaries at time t on indices reflecting players' hitting ability calculated at time t - 1. To deflate players' annual salaries, we used the consumer price index for each city. Thus,  $Salary_{i,t}$  is not nominal but real wages. The estimation equation is as follows

$$Salary_{i,t} = c + \gamma_1 \times OBP_{i,t-1} + \gamma_2 \times SLG_{i,t-1} + \mathbf{X}\beta + \epsilon_{i,t},$$
(2)

where X and  $\beta$  are vectors of control variables and coefficients, respectively. We also performed pooling estimation in equation (2) for the same reason as in equation (1).

Following Hakes and Sauer (2006), the sample we used includes players with at least 130 plate appearances in the relevant seasons. As the annual salary is based on the previous season's performance, we regressed the salary at time t on the performance indices at time t-1. Following Hakes and Sauer (2006) and Brown et al. (2017), we included free agency, arbitration eligibility, and defensive and offensive productivity as control variables.<sup>10</sup>

<sup>&</sup>lt;sup>10</sup> free agency is a dummy variable that takes one for players with more than six years since their debut year, otherwise zero. *arbitration eligble* is a dummy variable which takes one for players with between 3 and 6 years of experience, otherwise zero. Salary is defined as annual income based on data provided by the Lahman database (http://www.seanlahman.com/) before 2016 and the Spotrac database (https://www.spotrac.com/) after 2016.

			1			
	Partial regre	ssion coefficient	Standardised partial regression coefficient			
	(1)	(2)	(3)	(4)		
$\alpha_1$ : OBP	$1.700^{*}$		$0.359^{*}$			
	(0.119)		(0.021)			
$\alpha_2$ : SLG	$1.083^{*}$		$0.440^{*}$			
	(0.062)		(0.021)			
$\alpha_3$ : Eye	. ,	$1.156^{*}$		$0.178^{*}$		
		(0.143)		(0.022)		
$\alpha_4$ : Power		$1.690^{*}$		$0.515^{*}$		
		(0.080)		(0.024)		
$\gamma$ : ERA	$-0.101^{*}$	$-0.099^{*}$	$-0.808^{*}$	$-0.787^{*}$		
	(0.002)	(0.003)	(0.014)	(0.022)		
Adjusted R <sup>2</sup>	0.834	0.711	0.834	0.711		
Observation	874	874	874 874			
		Wald Test				
$H_0: \alpha_1 = \alpha_2$	$0.613^{*}$		$0.081^{*}$			
$H_0: \alpha_3 = \alpha_4$		$0.534^{*}$		$0.337^{*}$		

Table II: The impact of batting skill on winning percentage in MLB Panel (A): Entire sample

Panel (B): Before and after the publication of *Moneyball* 

	Standardised partial regression coefficient							
	Before the	publication of	After the p	After the publication of				
	Moneyball:	1989 to 2003	Moneyball:	Moneyball: 2004 to 2018				
	(1)	(2)	(3)	(4)				
$\alpha_1$ : OBP	$0.419^{*}$		$0.267^{*}$					
	(0.033)		(0.033)					
$\alpha_2$ : SLG	$0.436^{*}$		$0.431^{*}$					
	(0.037)		(0.031)					
$\alpha_3$ : Eye		$0.237^{*}$		$0.098^{*}$				
		(0.028)		(0.301)				
$\alpha_4$ : Power		$0.575^{*}$		$0.452^{*}$				
		(0.0.35)		(0.030)				
$\gamma$ : ERA	$-0.824^{*}$	$-0.800^{*}$	$-0.783^{*}$	$-0.782^{*}$				
	(0.023)	(0.030)	(0.022)	(0.029)				
Adjusted R <sup>2</sup>	0.827	0.715	0.838	0.721				
Observation	424	424	450	450				
		Wald Test						
$H_0: \alpha_1 = \alpha_2$	0.017		$0.164^{*}$					
$H_0: \alpha_3 = \alpha_4$		$0.338^{*}$		$0.354^{*}$				

Notes: Robust standard errors in parentheses are clustered at team levels. Significance at the 1% level is indicated by \*. We conduct a Wald test and report the (absolute value of) differences between the relevant coefficients.

## **3** Determinants of winning

#### 3.1 Replication of Hakes and Sauer (2006)

To identify the determinants of winning, we first estimated equation (1). Panel (A) in Table II shows which factors of batting skill contribute to winning, using the full sample. The first column shows the partial regression coefficients, while the fourth column shows the standardised partial regression coefficients. The partial regression coefficients for OBP and SLG in the first column are significantly positive and the Wald test shows a significant difference between them. The partial regression coefficient of OBP ( $\alpha_1$ ) is larger than that of SLG ( $\alpha_2$ ) and almost equal to that of Hakes and Sauer (2006). This result shows that our dataset successfully replicates Hakes and Sauer (2006).

#### **3.2** Results using the normalised sample

We also show results using the standardised sample in the fourth column of the Table II; these are in sharp contrast to the results in the first column. The fourth column of the Table shows that the standardised  $\alpha_2$  significantly exceeds  $\alpha_1$ . Moreover, the difference is significant. This suggests that SLG contributes more to winning than OBP.<sup>11</sup> This result contradicts the *Moneyball* hypothesis and Hakes and Sauer (2006), which argue that the skill of avoiding being out is more important to winning than the skill of hitting the ball. As a robustness check, we regressed winning percentage on *Eye* and *Power* to mitigate multicollinearity between OBP and SLG.<sup>12</sup> *Eye* and *Power* are also indices that measure the ability to avoid being out and the ability to hit the ball, respectively.<sup>13</sup> As an index, *Eye* is similar to OBP: the correlation between them is 0.698. As an index, *Power* is similar to SLG: the correlation between them is 0.917. The fifth column in panel (A) of Table II shows that the standardised partial regression coefficient of *Power* ( $\alpha_4$ ) is significantly higher than that of Eye ( $\alpha_3$ ). Furthermore, the difference between them is significant. This confirms that our benchmark result is robust: the indices related to the ability to hit the ball, such as SLG and *Power*, can explain winning percentage better than those related to the ability to avoid being out, such as OBP and *Eye*.

We split the full sample into subsamples before and after the publication of *Moneyball* in 2003. Panel (B) in Table II shows the pre- and post-publication estimation results using the stan-

<sup>&</sup>lt;sup>11</sup>The sixth column in panel (A) of Table II shows that the standardised partial regression coefficient of SLG ( $\alpha_2$ ) significantly exceeds that of OBP ( $\alpha_1$ ), even when the model allows for an interaction term between OBP and SLG.

<sup>&</sup>lt;sup>12</sup>Hakes and Sauer (2007) and Holmes et al. (2018) discussed the issue of multicollinearity between OBP and SLG.

 $<sup>^{13}</sup>Eye$  and *Power* are calculated by dividing the sum of bases-on-balls and hit-by-a-pitch by plate appearances and by subtracting batting average from SLG, respectively. Panel (C) in Table I presents the correlation matrix and shows that the correlation between OBP and SLG is high (0.746), while the correlation between *Eye* and *Power* is relatively low (0.401). Following Hakes and Sauer (2007), we used *Eye* and *Power* as well as OBP and SLG to address the issue of multicollinearity.

dardised data. The results suggest that SLG is a more stable contributor to wins than OBP over the entire sample. The first column shows that  $\alpha_2$  exceeds  $\alpha_1$  before the publication. The fourth column shows that  $\alpha_2$  is still significantly larger than  $\alpha_1$  after the release. The second and fifth columns show that the above results are similar when we use *Eye* and *Power*.<sup>14</sup> Furthermore, the difference between  $\alpha_1$  ( $\alpha_3$ ) and  $\alpha_2$  ( $\alpha_4$ ) is greater after publication. These results suggest that the skill of hitting the ball contributes more to winning than the skill of avoiding being out, and the discrepancy increases after 2004.

# 4 Determinants of annual salary

The second step was to identify what determines annual pay. Our focus is on whether productivity can explain pay.

### 4.1 Replication of Hakes and Sauer (2006)

First, we replicated the results of Hakes and Sauer (2006) using the full sample from 1989 to 2018. Hakes and Sauer (2006) showed that before the publication of *Moneyball*, SLG was more predictive of annual salary than OBP, while after the publication OBP was more important. Our estimation results replicate their findings when the data are not normalised. Table III shows the estimation results from equation (2) and reports the partial regression coefficients. The third and fifth columns show the results using the 1989 to 2003 and 2004 to 2018 subsamples, respectively. The coefficient of SLG ( $\gamma_2$ ) is significantly larger than that of OBP ( $\gamma_1$ ) before the publication of *Moneyball*, while after the publication the coefficient of SLG ( $\gamma_2$ ) becomes smaller than that of OBP ( $\gamma_1$ ). This reversal was also found when we used the other indicators, namely *Eye* and *Power*. The fourth and sixth columns show that the coefficient of *Power* ( $\gamma_4$ ) is significantly larger than that of *Eye* ( $\gamma_3$ ) before publication, while the coefficient of *Power* ( $\gamma_4$ ) becomes smaller than that of *Eye* ( $\gamma_3$ ) after publication. These results are in line with those of Hakes and Sauer (2006).

#### 4.2 Results using the normalized sample

However, the situation changes when we use the normalised data. Panel (A) of table IV shows the estimation results from equation (2) and reports the standardised partial regression coefficients. The third and fifth columns show the results using the sub-samples from 1989 to 2003 and from 2004 to 2018, respectively. In panel (A), the coefficient of SLG ( $\gamma_2$ ) is significantly larger

<sup>&</sup>lt;sup>14</sup>The sixth column in panel (B) of Table II shows that the standardised partial regression coefficient of *Power* ( $\alpha_4$ ) significantly exceeds that of *Eye* ( $\alpha_3$ ), even when the model allows for an interaction term between *Eye* and *Power*.

than that of OBP ( $\gamma_1$ ) before the publication of *Moneyball*, while the difference between them becomes almost zero (0.02) after the publication.

This is the case when we use the log of salary as the dependent variable and the normalised variables as the independent variables. In panel (B), the coefficient of SLG ( $\gamma_2$ ) is significantly larger than that of OBP ( $\gamma_1$ ) before the release of *Moneyball*, while the difference between them becomes 0.02 after the release. This was robust to using *Eye* and *Power* instead of OBP and SLG. The fourth and sixth columns show that the difference between  $\gamma_3$  and  $\gamma_4$  becomes smaller after the release of *Moneyball*. These results suggest that prior to the publication of *Moneyball*, metrics such as SLG and *Power*, which measure the skill of hitting the ball, were superior to metrics such as OBP and *Eye*, which measure the skill of avoiding being out, in determining annual salaries. However, there is no significant difference between them after the release of *Moneyball*. This may indicate a change in salary determinants: the skill of hitting the ball is undervalued after the publication of *Moneyball*, even though SLG and *Power* contribute more to winning than OBP and *Eye*, as shown in Table II.

We also checked whether the determinants of pay changed over time. In order to identify any shift in salary determinants, we ran a rolling regression using equation (2). We estimated equation (2) on a single year basis. The top panel of Figure 1 shows the standardised regression coefficients of OBP ( $\gamma_1$ ) and SLG ( $\gamma_2$ ). The figure suggests that there is a structural break in the determinants of salary. It shows that the red line ( $\gamma_2$ ) is higher than the blue line ( $\gamma_1$ ) until 2003 and that the discrepancy between them disappears thereafter. This is the case when we look at the standardised regression coefficients of the eye ( $\gamma_3$ ) and the power ( $\gamma_4$ ). The bottom panel of Figure 1 shows that the red line ( $\gamma_4$ ) is larger than the blue one ( $\gamma_3$ ) until 2003 and that the discrepancy between them discappears thereafter. The figure suggests that the determinants of salary changed after the publication of *Moneyball*.

	All year		Before the	e publication	After the	After the publication	
			of Moneyba	<i>ll</i> : 1989-–2003	of Moneyba	<i>ll</i> : 2004–2018	
	(1)	(2)	(4)	(5)	(7)	(8)	
D				epende	ent variable: Log	arithm of salary	
0.5.5			1 100*				
$\gamma_1$ : OBP	1.740*		1.129*		2.597*		
	(0.278)		(0.365)		(0.419)		
$\gamma_2$ : SLG	$2.086^{*}$		$2.433^{*}$		$1.663^{*}$		
	(0.149)		(0.199)		(0.223)		
$\gamma_3$ : Eye		$2.025^{*}$		$1.382^{*}$		$2.965^{*}$	
		(0.244)		(0.322)		(0.369)	
$\gamma_4$ : Power		$2.570^{*}$		$2.917^{*}$		$2.130^{*}$	
		(0.155)		(0.209)		(0.228)	
Plate Appearance	$0.003^{*}$	$0.003^{*}$	$0.003^{*}$	$0.003^{*}$	$0.003^{*}$	0.003*	
	(0.000)	(0.000)	(0.000)	(0.000)	(0.000)	(0.000)	
Free Agent	$1.803^{*}$	$1.790^{*}$	$1.675^{*}$	$1.674^{*}$	$1.917^{*}$	$1.893^{*}$	
	(0.024)	(0.025)	(0.035)	(0.035)	(0.034)	(0.034)	
Arbitration Eligible	$0.691^{*}$	$0.679^{*}$	$0.719^{*}$	$0.719^{*}$	$0.648^{*}$	$0.624^{*}$	
	(0.026)	(0.026)	(0.037)	(0.037)	(0.036)	(0.036)	
Catcher Dummy	$0.070^{*}$	$0.055^{\dagger}$	$0.129^{*}$	$0.118^{*}$	0.015	-0.006	
	(0.025)	(0.025)	(0.035)	(0.035)	(0.036)	(0.036)	
Infielder Dummy	-0.018	-0.004	-0.004	-0.004	-0.022	0.008	
	(0.019)	(0.019)	(0.026)	(0.026)	(0.027)	(0.027)	
Adjusted R <sup>2</sup>	0.671	0.670	0.674	0.672	0.658	0.658	
Observation	$8,\!351$	$8,\!351$	4,144	4,144	4,207	4,207	
			Wald Test				
$H_0: \gamma_1 = \gamma_2$	0.345		$1.304^{*}$		0.934		
$H_0: \gamma_3 = \gamma_4$		0.545		$1.535^{*}$		0.835	

Table III: What factors determine wages?: partial regression coefficients

Notes: Robust standard errors in parentheses are clustered at player levels. Significance at the 1% level is indicated by \*. The last two lines indicate the difference between the two coefficients as absolute values. The dependent variable is the logarithm of salary (deflated) for year t, and the performance variable is from t - 1. Dummy variables for each year are included in each regression. The sample includes all players with at least 130 plate appearances during the relevant seasons. We conduct a Wald test and report the (absolute value of) differences between the relevant coefficients.

	Standardised partial regression coefficient						
	Al	l year	From 198	89 to 2003	From 20	04 to 2018	
	(1)	(2)	(3)	(4)	(5)	(6)	
Panel (A): de	pendent var	iable: standar	dised salary (in	the real term	ı)		
$\gamma_1$ : OBP	0.093*		$0.056^{*}$		$0.135^{*}$		
	(0.011)		(0.015)		(0.015)		
$\gamma_2$ : SLG	$0.152^{*}$		$0.251^{*}$		$0.114^{*}$		
	(0.011)		(0.016)		(0.016)		
$\gamma_3$ : Eye		$0.111^{*}$		$0.093^{*}$		$0.142^{*}$	
		(0.009)		(0.012)		(0.012)	
$\gamma_4$ : Power		$0.156^{*}$		$0.242^{*}$		$0.124^{*}$	
		(0.009)		(0.013)		(0.013)	
			Wald Test				
$H_0: \gamma_1 = \gamma_2$	$0.059^{*}$		$0.194^{*}$		0.021		
$H_0: \gamma_3 = \gamma_4$		$0.046^{*}$		$0.149^{*}$		0.018	
Adjusted R <sup>2</sup>	0.483	0.487	0.535	0.540	0.492	0.495	
Observation	8,351	8,351	4,144	4,144	4,207	4,207	

Table IV: What factors determine wages?: standardised partial regression coefficient

Panel (B): dependent variable: logarithm of salary (in the real term)

$\gamma_1$ : OBP	$0.072^{*}$		$0.049^{*}$		$0.102^{*}$	
	(0.011)		(0.016)		(0.016)	
$\gamma_2$ : SLG	$0.164^{*}$		$0.201^{*}$		$0.123^{*}$	
	(0.012)		(0.016)		(0.017)	
$\gamma_3$ : Eye		$0.075^{*}$		$0.053^{*}$		$0.106^{*}$
		(0.009)		(0.012)		(0.013)
$\gamma_4$ : Power		$0.161^{*}$		$0.189^{*}$		$0.127^{*}$
		(0.010)		(0.014)		(0.014)
			Wald Test			
$H_0: \gamma_1 = \gamma_2$	$0.092^{*}$		$0.153^{*}$		0.021	
$H_0: \gamma_3 = \gamma_4$		$0.085^{*}$		$0.136^{*}$		0.021
Adjusted R <sup>2</sup>	0.671	0.670	0.674	0.672	0.658	0.658
Observation	$8,\!351$	$8,\!351$	4,144	4,144	4,207	4,207

Notes: Robust standard errors in parentheses are clustered at player levels. Significance at the 1% level is indicated by \*. The dependent variables in Panel (A) and (B) are standardised (deflated) salary and the logarithm of (deflated) salary for year t, and the performance variable is from t - 1. Dummy variables for each year are included in each regression. The sample includes all players with at least 130 plate appearances during the relevant seasons. We conduct a Wald test and report the (absolute value of) differences between the relevant coefficients. We do not report the estimated coefficients of the control variables to save space.







### 5 Conclusion

In our paper, we re-examined the *Moneyball* hypothesis. We combined payroll data for MLB professionals with detailed data on each player's performance to reevaluate the hypothesis. We provided counter-evidence to the standard theory by showing that after the publication of *Moneyball*, slugging average, which is widely accepted as one of the most common measures of batting skill, dominated the effect on winning relative to the factor that *Moneyball* considered important. We also found that, in MLB in particular, slugging average is *undervalued* as a determinant of wages, probably as a result of *Moneyball*, even though it was identified in the first step as the factor that most contributes to winning. This evidence suggests that payrolls do not efficiently reflect the productivity of each player. In other words, the skill that most contributes to winning had less predictive power for the payroll after the publication of *Moneyball*. This is the striking evidence against *Moneyball*: the MLB payroll may have become less *efficient* after *Moneyball*.

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